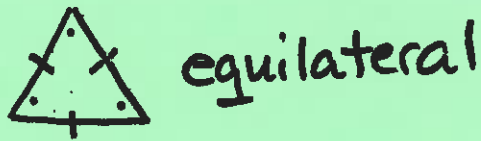


TRIANGLE REVIEW

• Classifying by SIDE LENGTH



equilateral



isosceles



scalene

• Classifying by ANGLE SIZE



acute
(all angles $< 90^\circ$)



right
(one angle = 90°)

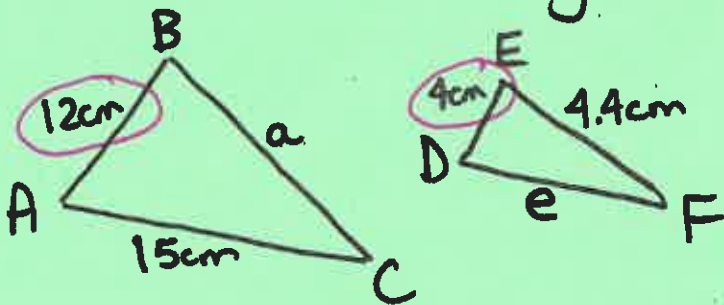


obtuse
(one angle $> 90^\circ$)

↑
greater than

- angles in a triangle always add up to 180°

- similar triangles (same shape different size)



$$\triangle ABC \sim \triangle DEF$$

$$\angle A = \angle D$$

$$\angle B = \angle E$$

$$\angle C = \angle F$$

set up a proportion to find missing side lengths:

$$\frac{12}{4} = \frac{a}{4.4}$$

$$a = 13.2\text{cm}$$

$$\frac{12}{4} = \frac{15}{e}$$

$$e = 5\text{cm}$$

- right triangles
(Pythagoras and SOH CAH TOA)



* to find a side: $a^2 + b^2 = c^2$

(OR)

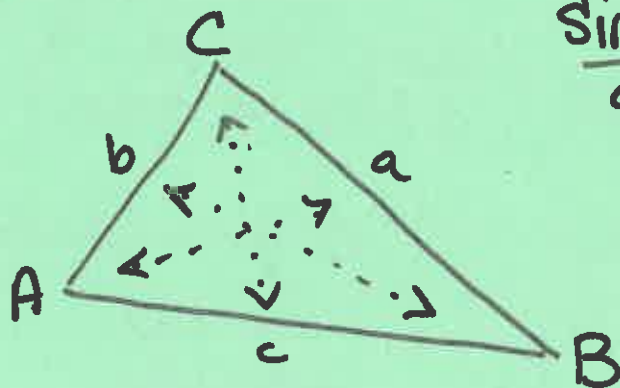
$$\sin \theta = \frac{\text{opp}}{\text{hyp}} \quad \cos \theta = \frac{\text{adj}}{\text{hyp}} \quad \tan \theta = \frac{\text{opp}}{\text{adj}}$$

* to find an angle: angles add to 180°

(OR)

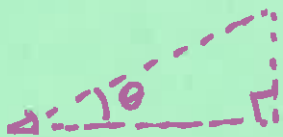
$$\theta = \sin^{-1}\left(\frac{\text{opp}}{\text{hyp}}\right) \quad \theta = \cos^{-1}\left(\frac{\text{adj}}{\text{hyp}}\right) \quad \theta = \tan^{-1}\left(\frac{\text{opp}}{\text{adj}}\right)$$

- sine law.



$$\frac{\sin A}{a} = \frac{\sin B}{b} = \frac{\sin C}{c}$$

- angle of elevation
looking up



- angle of depression
looking down

