





Math 9 – Chapter 2 Intro
Scale Factors and Similarity

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Learning Goals

- 2.1  I can use personal referents to estimate measurements
I can convert between SI measurements
- 2.2  I can determine the scale factor by which an item was reduced or enlarged
I can solve for actual measurements using a given scale
- 2.3  I can represent a place or object by creating a scale diagram
I can use scale diagrams to determine unknown measurements
- 2.4  I can determine whether two triangles are similar
I can use similarity between triangles to solve problems

Review - Ratios and Proportions

RATIO: a comparison of two or more quantities (measured in the same units)

Example: Chuck works as a cook in a restaurant. His chicken soup recipe contains 11 cups of broth, 5 cups of diced vegetables, 3 cups of rice, and 3 cups of chopped chicken.

a) What is the ratio of vegetables to chicken?

$$5 : 3$$

b) What is the ratio of broth to rice?

$$11 : 3$$

part-to-part ratios

c) What is the ratio of chicken to the total ingredients in the recipe?

$$3 : 22$$

$$\text{total} = 11 + 5 + 3 + 3 = 22$$

can be written as:

A FRACTION

$$\frac{3}{22}$$

A DECIMAL

$$3 \div 22 =$$

$$0.136$$

A PERCENT

$$0.136 \times 100 =$$

$$13.6\%$$

part-to-whole ratio

PROPORTION

: a statement that says two rates or ratios are equivalent

Examples:

$$\frac{3}{4} = \frac{6}{8}$$

(Arrows show 3 to 6 is $\times 2$ and 4 to 8 is $\times 2$)

$$12:21 = 4:7$$

(Arrows show 12 to 4 is $\div 3$ and 21 to 7 is $\div 3$)

Finding unknown values:

$$x = 7 \times 4$$
$$= \boxed{28}$$

$$\frac{4}{7} = \frac{16}{x}$$

(Arrows show 4 to 16 is $\times 4$ and 7 to x is $\times 4$)

$$x = 24 \div 8$$
$$= \boxed{3}$$

$$\frac{x}{4} = \frac{24}{32}$$

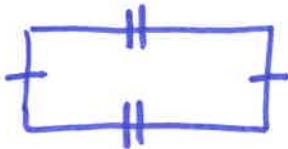
(Arrows show x to 24 is $\div 8$ and 4 to 32 is $\div 8$)

Review - Working With Diagrams

hash marks

: identify sides that are the same length

Examples:



Review - Scale

SCALE

: shows relationship between distance on a drawing, model, or map and the actual distance

Examples:

$$1:200\,000$$

1 unit on map
represents 200000
units in the
real world.

$$1\text{cm} : 2\text{km}$$

1cm on map
represents 2km
in the real
world.